## HIGH-PRESSURE GAUGES WITH ELECTRIC SENSORS

by

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## Basic Parameters of a Secondary High-pressure Sensor

If % is the given physical property, the basic parameters of the secondary high-pressure sensor are [1]:

 $\mathcal{L}_{\mathcal{H}} = \left[ \frac{\partial \mathcal{X}}{\partial \mathcal{H}_{0}} \frac{\partial \mathcal{P}}{\partial \mathcal{P}} \right]_{T} - \text{pressure sensitivity coefficient;}$   $\int_{\mathcal{H}}^{3} = \left[ \frac{\partial \mathcal{X}}{\partial \mathcal{H}_{0}} \frac{\partial \mathcal{P}}{\partial \mathcal{T}} \right]_{P} - \text{temperature sensitivity coefficient;}$   $\mathcal{T}_{\mathcal{H}} = \int_{\mathcal{H}}^{3} \mathcal{H}_{\mathcal{H}} = \left( \frac{\partial \mathcal{P}}{\partial \mathcal{T}} \right)_{\mathcal{H}} - \text{temperature coefficient of the pressure reading shift;}$ 

 $z_{_{\mathcal{H}}} = \mathcal{L}_{_{\mathcal{H}}} / \gamma_{_{_{\mathcal{H}}}} = \mathcal{L}_{_{\mathcal{H}}}^{^{2}} / \gamma_{_{_{\mathcal{H}}}}$  - coefficient of pressure quality. The last coefficient, introduced by Czaputowicz [2] seems to be the best indicator of the suitability of a given physical property of a sensor for high-pressure measurements. It is important that the absolute value of the coefficient of pressure quality  $|z_{_{\mathcal{H}}}|$  be possibly high. In the present paper only electric properties will be discussed. All values of pressure are given in atmospheres, where:

 $1 \text{ atm} = 1 \text{ kg/cm}^2 = 0.0980665 \text{ MN/m}^2$ 

## High-pressure Resistance Gauges with Metal Sensors

The manganin sensor is one of the most populare resistance metal sensors for measurements of high pressures [3]. The relative change of electric resistivity with increasing pressure and temperature for Russian and German manganin is diagramatically presented in Fig.1

In the range up to 6000 atm  $\propto = [3 \text{ R/(R}_0 \text{ 3 P)}]_T$  decreases linearly with the growing pressure:

$$\alpha C_{P} = \alpha C_{0} + \alpha C_{1} \cdot P \tag{1}$$

where  $\mathcal{L}_0$  depends on the kind of wire, its diameter, and heat treatment [2]. At room temperatures we have:

$$\mathcal{L}_0 = (2.0 - 2.6) \times 10^{-6} \text{ atm}^{-1}$$
  
 $\mathcal{L}_1 \approx -5 \times 10^{-12} \text{ atm}^{-2}$ 

For two kinds of wire  $\mathcal{L}_0$  increases with growing temperature (cf. Fig.1) where

$$\delta = [\partial \mathcal{L}_0 / (\mathcal{L}_0 \partial T)]_P = 1 \times 10^3 \text{ deg}^{-1}$$

but  $\alpha_1 \approx \text{const.}$  in the range 15 to 30°C.

In the range 6000 to 16,000 atm.  $\alpha_p$  also decreases linearly with growing pressure (Fig.2) but at a rate about half that observed up to 6000 atm. The relative variations of resistivity with growing temperature are given for all manganin wires by the following parabolic function [3]:

$$\Delta R/R_{20} = at^2 + bt + c \qquad (2)$$

where a,b,c depend on the kind of wire, heat treatment and the range of pressures (Table 1).

Czaputowicz constructed a new kind of manganin sensor consisting of two kinds of wire, Russian and German, connected in series. In this sensor  $\beta = \left[ \frac{2}{3} \, \mathbb{R}/\left(R_0 \, \frac{3}{3} \, \mathbb{T}\right) \right]_P$  is about ten times less than in the standard Russian, English or German manganin wires in the temperature range 17 to 27°C and the maximum error in the pressure reading due to temperature variation is only 2 atm. It allows for measuring both relatively small pressures (up to 1000 atm) and dynamic pressures [4].

High-pressure Resistance Gauges with Semiconductor Sensors
The application of pure (non-doped) semiconductor crystals of
Te and InSb as high-pressure sensors was discussed by the
present authors at the IMEKO-IV Conference [1]. However, since
in practice all semiconductor materials are contaminated, it
seems justified to express the basic parameters of the semiconductor resistive sensor by the value of the effective energy
gap  $E^{\pm}$  and the effective energy gap pressure coefficient  $a^{\pm} = (\partial E^{\pm}/\partial P)_{\pi}$  which fulfil the equation:

$$R/R_{o} = \exp (E^{H} - a^{H}P)/(2kT)$$
 (3)